Privacy-Preserving Network Path Validation

Binanda Sengupta\(^1\), Yingjiu Li\(^1\), Kai Bu\(^2\), and Robert H. Deng\(^1\)

\(^1\) School of Information Systems, Singapore Management University
\{binandas,yjli,robertdeng\}@smu.edu.sg
\(^2\) College of Computer Science and Technology, Zhejiang University
kaibu@zju.edu.cn

Abstract. The end-users communicating over a network path currently have no control over the path. For a better quality of service, the source node often opts for a superior (or premium) network path in order to send packets to the destination node. However, the current Internet architecture provides no assurance that the packets indeed follow the designated path. Network path validation schemes address this issue and enable each node present on a network path to validate whether each packet has followed the specific path so far. In this work, we introduce two notions of privacy – path privacy and index privacy – in the context of network path validation. We show that, in case a network path validation scheme does not satisfy these two properties, the scheme is vulnerable to certain practical attacks (that affect the reliability, neutrality and quality of service offered by the underlying network). To the best of our knowledge, ours is the first work that addresses privacy issues related to network path validation. We design PrivNPV, a privacy-preserving network path validation protocol, that satisfies both path privacy and index privacy. We discuss several attacks related to network path validation and how PrivNPV defends against these attacks. Finally, we discuss the practicality of PrivNPV based on relevant parameters.

Keywords: Network path validation · Path privacy · Index privacy · Source authentication.

1 Introduction

Next-generation networks aim to provide more control over network paths to the end-users and service providers. More command over network paths not only enables the end-users to select paths themselves in order to get uninterrupted services, but also lets the service providers serve their users in a more reliable manner. This helps to build a robust communication network where packets traverse across the network in a fast and secure way.

Although higher control over network paths is desirable, the current Internet architecture does not support such control over paths. For example, an end-user (source) may decide a superior (e.g., high-speed) network path for communicating with a service provider (destination), and she wishes to pay higher for availing this path as per the service level agreement (SLA) with the corresponding Internet service providers (ISPs). However, the current Internet provides no guarantees that the packets would follow the same path as specified. Specifically, once a packet leaves the source node, it is beyond the control of the source. So, the (possibly malicious) intermediate nodes can forward the packets along a completely different (and inferior) path to reach the destination node. Upon receiving the packets, the destination node has no means to verify whether the packets have traversed through the specified superior path. On the other hand, in order to run their business smoothly, honest intermediate nodes present on the network path would try to maintain a better quality of service and detect a deviation from the correct execution of the protocol. To be precise, every honest on-path node has a stake in enforcing the
specified path to be followed by the packets and discarding corrupted packets in order not to waste downstream resources further.

In order to verify whether packets have followed the network path specified by the source node, network path validation (or path validation) schemes come into play [26,18]. In a path validation protocol, the source node enforces the network path to be followed by all the nodes present on the path in order to forward packets. Moreover, every on-path node can check whether the packets have traversed through the specified path so far. This is typically achieved by enabling on-path nodes to embed proofs in a packet such that downstream nodes can verify these proofs to validate the path. On the other hand, a malicious on-path node can inject packets of its choice (with the spoofed source) into the path. In a routing protocol with source authentication, every node present on a network path can validate whether a packet propagated along that path originates from the designated source node. We note that path validation schemes require modifications in the existing Internet routing logic for packets. However, they are essential for the next-generation Internet architectures like SCION [42,29], NEBULA [2] and others [11].

In a path validation scheme, the source node and the destination node do not trust all the intermediate nodes present on the path (otherwise, path validation would not be required at all), and thus they do not want to leak additional information available from the network path (e.g., their personal preferences while selecting the path) to these nodes. Existing path validation schemes do not hide the network path from the intermediate nodes. As we will see shortly, revealing the path to the (possibly malicious) intermediate nodes makes these schemes vulnerable to various attacks. In this work, we introduce two privacy notions relevant to path validation: path privacy and index privacy. The notion of path privacy states that an intermediate node cannot have knowledge about other nodes present on the path. We note that a node can always identify its neighbor nodes as a packet comes from one of them and the node has to forward the packet to the other. So, the notion of path privacy described in this work does not include the privacy of neighbor nodes. However, our notion of path privacy preserves the privacy of all other on-path nodes (including the anonymity of the source and destination nodes). On the other hand, the notion of index privacy states that an intermediate node cannot learn its own index (or position) on the path.

**Why are path privacy and index privacy important?** We note that path privacy does not guarantee index privacy in general. To be precise, we can find some cases where, in spite of achieving path privacy, a path validation scheme leaks the index of an intermediate node to the node itself. For example, we consider an $n$-hop network path where neighbor information of all $n$ nodes are encrypted and stored sequentially in the path variable (say, PATH). The source node shares a secret key with $N_i$ that helps it to identify $N_{i-1}$ and $N_{i+1}$ by decrypting only the $i$-th ciphertext of the sequence embedded in PATH. It is not hard to see that path privacy is protected in such a scheme. However, the node $N_i$ can easily identify its own index $i$ from the sequence — which prevents the scheme from satisfying index privacy. We now discuss some practical situations where both path privacy and index privacy are crucial.
Preserving source anonymity: In mobile crowd sensing [13], mobile nodes (e.g., smartphones) collect various types of data with the help of embedded sensors and send the data to a server for analysis (e.g., measuring air pollution level, sensing traffic congestion in an area). Similarly, in the eMbedded-Gateway-Cloud (MGC) model [23,24], a smartphone acts as a gateway and sends the data collected from IoT devices to a cloud server. In these situations, path validation without path privacy may reveal sensitive information (e.g., physical location) of the source node to possibly malicious on-path nodes.

Protecting neutrality: Suppose the destination node $D$ is a service provider, and there are two consumer nodes $S_1$ and $S_2$ that send service-requests to $D$. Let there be a malicious node (say, $N$) which is present on both paths $S_1 \sim D$ and $S_2 \sim D$. Without path privacy, $N$ has the complete knowledge of both paths, and it can thus identify the service provider $D$. Now, $N$ sharing strong business relations with $S_1$ (or $S_2$) can intentionally drop the requests sent by $S_2$ (or $S_1$) in order to favor $S_1$ (or $S_2$) with undue advantages (e.g., better service quality). Similarly, an ISP can favor a particular destination (e.g., a website for online shopping) by dropping packets destined to other nodes that provide similar services — which makes many end-users leave slow websites and switch to the fast one [39,22,19].

Hiding business strategies: Without path privacy, it is hard to protect business strategies of the ISPs involved in a network path. For example, if an ISP (say, $P_1$), that is connected to another ISP (say, $P_2$), knows which other ISPs are connected to $P_2$, then $P_1$ may reach some of $P_2$’s partners for doing business directly (without $P_2$ as an intermediary) — which can result in a loss in $P_2$’s business. Thus, an ISP would require the path to be private in order to hide its business strategies from its competitors.

Preventing attacks that exploit index-information: In a path validation scheme without index privacy, an intermediate node can derive non-trivial information from the knowledge of its own index on the path. We consider the following example. Given the path-length $n$ (including the source and destina-
tion nodes), if the \((n - 1)\)-th on-path node (say, \(N\)) knows its own index, then \(N\) easily derives an additional piece of information that it is the pre-destination node (i.e., its next-hop on the path is the destination node) — which does not protect anonymity of the destination node \(D\). Moreover, if \(N\) happens to be the pre-destination node for two or more network paths ending at \(D\) (but originating from different source nodes), then \(N\) can selectively forward the packets sent by a particular source node only (similar to the example described above).

- **Defending against an attacker having control over a small fraction of nodes:** In a network, multiple nodes can be compromised by a network attacker (or adversary), and they can collude with each other to mount certain attacks [11,16]. Given that the attacker can control a small fraction of on-path nodes in a path validation scheme with path privacy, the whole path may be revealed to the attacker if the protocol does not satisfy index privacy. For example, an attacker, having control over only three nodes \((N_3, N_6\) and \(N_9\)) as shown in Figure 1, can identify all nodes present on the network path \(S \sim D\) (we note that each on-path node knows its neighbors which the node receives a packet from or sends a packet to).

**Our contribution:** We summarize our major contributions to privacy-preserving path validation as follows.

- We introduce, for the first time, two notions of privacy in the context of path validation: *path privacy* and *index privacy*. Path privacy ensures that an intermediate node cannot identify other on-path nodes (except its neighbors). This notion also includes the anonymity of the source and destination nodes. On the other hand, index privacy guarantees that an intermediate node cannot learn its node-index on the path. These two notions are crucial for path validation in order to prevent certain attacks as discussed above.

- We construct PrivNPV, a *privacy-preserving* network path validation protocol satisfying both path privacy and index privacy. Moreover, the destination node in PrivNPV can check whether the packets originate from the designated source node.

- Once the network path and keys are set up for a PrivNPV session, an on-path node has to perform only (lightweight) symmetric-key cryptographic operations in order to validate and process subsequent payload-packets.

- We analyze the security of PrivNPV based on various attacks. In addition to the attacks relevant to path validation protocols (in general), we consider other possible attacks specific to a privacy-preserving path validation protocol.

- Finally, we discuss the practicality of PrivNPV based on relevant parameters.

**Organization:** The rest of the paper is organized as follows. Section 2 describes the problem and background related to this work. In Section 3, we discuss the challenges in constructing a privacy-preserving path validation protocol and the techniques we employ to address these challenges. We provide the detailed construction of PrivNPV, our privacy-preserving network path validation protocol, and discuss its properties in Section 4. In Section 5, we analyze the security of PrivNPV. We describe the practicality of PrivNPV in Section 6 and conclude the paper in Section 7.
2 Problem Definition and Background

2.1 Definition

A network path (or path) of length \( n \) between a source node \( S \) and a destination node \( D \) is an ordered collection of nodes \( N_1 = S, N_2, N_3, \ldots, N_{n-1}, N_n = D \) such that packets sent by \( S \) traverse the intermediate nodes \( N_2, N_3, \ldots, N_{n-1} \) in the same order to reach \( D \). The \( i \)-th on-path node is identified by its node-identifier \( N_i \). We denote such a network path either by \( N_1 - N_2 - \cdots - N_{n-1} - N_n \) or simply by \( S \sim D \) (omitting the intermediate nodes). For \( 2 \leq i \leq n-1 \), the intermediate node \( N_i \) has a left neighbor \( N_{i-1} \) (the node which \( N_i \) receives a packet from) and a right neighbor \( N_{i+1} \) (the node which \( N_i \) sends a packet to) along the path. The source (or destination) node has only a right (or left) neighbor along the path. The source node \( S \) decides the network path and lets \( D \) know the same. We describe some notions related to a privacy-preserving path validation protocol as follows.

Definition 1 (Path validation [26,18]). A network path validation (or path validation) protocol must satisfy both path enforcement and path verification defined as follows.

1. A network routing protocol satisfies path enforcement if every node present on a network path \( S \sim D \) is directed to follow the specific path in order to send packets from \( S \) to \( D \).
2. A network routing protocol satisfies path verification if every node present on a network path \( S \sim D \) can verify whether a packet has traversed along that specified path so far.

Path validation schemes assume that the source node knows the exact path a packet should traverse in order to reach the designated destination node. For example, Kim et al. [18] assume that the source node has access to the information of each node (along with the information of the autonomous system it belongs to) present on the path. The source node also knows which intermediate nodes along the path may opt for validating the path. They argue that the routing information can be obtained from the Border Gateway Protocol (BGP), or the source node can be provided with this information by the respective ISPs. We rely on similar assumptions in this work.

Definition 2 (Source authentication [18]). A path validation protocol satisfies source authentication if every node present on a network path \( S \sim D \) can validate whether a packet propagated along that path originates from the designated source node \( S \).

Definition 3 (Path privacy). A path validation protocol satisfies path privacy if any intermediate node present on a network path \( S \sim D \) cannot identify other nodes (except its neighbors) along the path.

An intermediate node has to identify its neighbor nodes in order to forward (or receive) packets correctly. Thus, the notion of path privacy defined above does not include the privacy of neighbor nodes. However, the notion of path privacy preserves the privacy of all other nodes (including the anonymity of the source node \( S \) and the destination node \( D \)).
Definition 4 (Index privacy). A path validation protocol satisfies index privacy if any intermediate node present on a network path \( S \sim D \) cannot learn its node-index on the path.

Definition 5 (Privacy-preserving path validation). A path validation protocol is privacy-preserving if it satisfies both path privacy and index privacy.

2.2 Related Work

Researchers have proposed various solutions to secure and verify network paths. We hereby discuss key solutions and refer interested readers to a recent survey on path validation \[4\] for more details.

Secure routing protocols \[17,14\] are designed to find the best path (e.g., the shortest path) between a source node and a destination node such that the path finding process is secure against certain attacks. However, these protocols do not ensure that the path thus selected is actually followed by the packets sent later. In source routing, the source node embeds the path in packet headers such that the intermediate nodes know the exact path to be followed \[35,38\]. However, the intermediate nodes are assumed to be honest and follow the path correctly — this assumption does not suffice in practice where nodes present on the path can be malicious.

Traceroute enables the intermediate nodes either to mark a passing packet with their respective identifiers (packet marking) or to store a packet-digest locally (packet logging). For packet marking, an intermediate node marks packets either probabilistically \[31,33\] or deterministically \[7,37\] — these marks are later checked by the destination node. In case of packet logging, the destination node asks for digests from the intermediate nodes in order to retrieve the path followed \[32\]. However, these marks and digests are not designed to be cryptographically secure — which makes them vulnerable to forgery.

Path enforcement enables the source node to embed the path directives in packet headers such that every on-path node can forward those packets along the specified path \[3,30,9\]. Unlike source routing, path directives are secure against malicious tampering.

Path verification protocols \[28,40\] are similar to traceroute protocols, except that the packet-marks (or packet-digests) in a path verification protocol are cryptographically secure in that a malicious node cannot forge them.

Path validation protocols achieve both path enforcement and path verification. There exist a few path validation schemes in the literature. All of them ensure path enforcement by including path directives in the packets. ICING \[26\] embeds, in a packet, a verification field for each intermediate node. The source node initially populates these verification fields with authenticators. As the packet passes through each intermediate node, the node verifies the proofs (that were computed by its upstream nodes) present in its verification field. It also inserts proofs into each of the verification fields corresponding to its downstream nodes. Thus, every on-path node can verify whether a packet has traversed the path specified by the source node. In the origin and path trace (OPT) protocol \[18,11\], each intermediate node lets the source and destination nodes know a secret key generated for a session. Based on these keys, the source node later computes message authentication codes.
and embeds them in the corresponding verification fields present in a packet-header. Each on-path node can check, using its verification field and a proof sent by its left neighbor, if the packet has followed the designated path so far. These proofs form a chain of MACs, and the destination node validates the path by verifying the proof sent by its left neighbor. The design of the orthogonal sequence verification (OSV) protocol is similar to that of OPT, except that OSV uses orthogonal sequences to make the generation of the verification fields and proofs faster.

Unlike the path validation schemes described above, alibi routing addresses avoidance routing, where it is validated if the packets have avoided traversing through certain forbidden nodes (or a geographic region). The idea is to select a trusted node located far from a forbidden node and enforce the packets traverse through this trusted node. If a packet passes through both of the nodes, it encounters much higher latency compared to when it traverses through the trusted node only — this difference in latency can be detected by the destination node.

Changes required in the current Internet architecture to incorporate path validation: Path validation requires modifications in the existing Internet routing logic for packets, that are necessary to achieve stronger security guarantees, i.e., path enforcement and path verification. Path validation schemes demand more computational logic on routers which is required for parsing packet headers and performing cryptographic operations. However, this computational logic can be efficiently implemented in both software and hardware. On the other hand, the routing protocol also needs to be updated — which can be done through firmware/software upgrade on routers. In OPT, an autonomous system (AS) can announce its path validation functionality within BGP update messages — which enables end-hosts to get the information required for deciding a path.

On the possibility of extending similar protocols to achieve path/index privacy: We now discuss whether the existing path validation schemes (or apparently similar protocols) can be extended incrementally in order to design a path validation protocol with path/index privacy.

Extending ICING: In ICING, apart from the path variable (say, PATH) containing the whole network path, a verification field is embedded in the packet for each on-path node. An intermediate node (say, \( N_i \)) identifies each of its downstream nodes (i.e., \( N_{i+1}, N_{i+2}, \ldots \)) from PATH and inserts proofs \( \pi_{i,i+1}, \pi_{i,i+2}, \ldots \) into the verification fields \( V_{i+1}, V_{i+2}, \ldots \), respectively. We note that \( \pi_{i,i+1}, \pi_{i,i+2}, \ldots \) are computed using the public keys of the corresponding downstream nodes \( N_{i+1}, N_{i+2}, \ldots \) — which requires \( N_i \) to identify these nodes. Similarly, the node \( N_i \) has to identify its upstream nodes \( N_1, N_2, \ldots, N_{i-1} \) in order to verify the proofs \( \pi_{1,i}, \pi_{2,i}, \ldots, \pi_{i-1,i} \) present in the verification field \( V_i \). As each node has to know every other node present on the path, path/index privacy cannot be achieved without making non-trivial changes in the design of ICING.

Extending OPT/OSV: OPT involves a key setup phase where a special packet \( P \) circulates along the path. In order to enable all nodes to identify their

---

3 Given a message and a secret key, a MAC scheme outputs a "digest" for the message. A MAC scheme is secure if it is computationally hard to produce the digest for a message \( m \), given that the digest for \( m \) is not available already.
neighbors, $P$ embeds the whole path (in a variable PATH) in clear — thus neither path privacy nor index privacy is achieved in OPT. To achieve path privacy, the whole path must not be given in clear, but there should be some mechanism such that each node knows its right neighbor to forward packets. Let us consider the scenario if PATH were not embedded in $P$. Even then, an intermediate node could learn its index as follows. Each node in OPT appends its (encrypted and authenticated) secret key to $P$. So, a node can simply count the number of such secret keys already appended to $P$ in order to get its own index. Lastly, in the OPT protocol, origin-path-verification (OPV) fields are included in the header of a packet in order to enable validation. These fields are ordered according to the node-indices, so that a node can identify and validate the corresponding OPV value — this reveals respective indices of the nodes. In order to extend OPT to achieve path/index privacy, these issues must be addressed — which requires substantial changes in the OPT design. We note that similar issues arise in the orthogonal sequence verification (OSV) [5,6] protocol which borrows similar design from OPT.

Using onion routing/Tor: In onion routing [36] and Tor [12], the source node encrypts packets in a specific order (using several layers) such that each intermediate node can decrypt only one layer and pass this partially decrypted packet to its next hop (information of the next node is obtained from this partially decrypted packet). Finally, when the packet reaches the destination node, the destination node decrypts the last layer of encryption to retrieve the original payload. These techniques appear to be probable solutions for privacy-preserving network path validation. However, onion routing/Tor provides neither path verification nor source authentication. In order to achieve path verification, each intermediate node must generate a proof and attach the proof with the packet such that any downstream node can verify the proof. However, it is not straightforward to design such a privacy-preserving path validation protocol without revealing the mapping between a proof and the node that generates it (and still enabling a downstream node to verify whether the proof has been generated by that node). The key setup phase for transmitting a packet through the Tor network is expensive due to $O(n^2)$ rounds of communication with $n$ Tor-routers (in order to set up a key with each Tor-router $N_i$, it requires communication between pairs $N_1 - N_2, N_2 - N_3, \ldots, N_{i-1} - N_i$). As the number of routers in a typical Tor-circuit is quite small (e.g., 3), this cost is not too high. However, this technique is not suitable for privacy-preserving path validation where the number of on-path nodes can be large (say, 40). We note that Catalano et al. [8] later reduced the number of communication rounds required for setup to $O(n)$. Along with other techniques, we exploit the anonymous key-agreement technique of [8] for our privacy-preserving path validation scheme.

3 Challenges for Constructing a Path Validation Protocol with Path/Index Privacy

In this section, we first discuss the challenges for constructing a path validation protocol with path/index privacy. Then, we describe the techniques we use to address these challenges.

**Challenges:** We mention the design challenges as follows.
The main challenge is to hide the path from the intermediate nodes with an assurance that these nodes still can validate the path (without knowing it) and forward packets correctly.

One possible way to achieve path privacy is to encrypt the path so that an intermediate node can decrypt only the ciphertext intended for it (to obtain validation and forwarding information). This requires the source node to establish a secure channel for each intermediate node in order to set up the corresponding session key — which demands much communication overhead (especially, for a path with a large number of nodes). Moreover, establishing a secure channel with an intermediate node does not preserve source anonymity as such a channel requires the credentials (e.g., node-identifier, public key) of the source node to be known to the intermediate node.

In order to achieve index privacy, a path validation scheme with path privacy must be designed in such a way that intermediate nodes cannot learn their respective node-indices. To be precise, the order of the ciphertexts must not reveal node-indices on the path.

**Our approach to address the challenges:** We adopt the following techniques to address the preceding challenges.

- Shared key generation between the source node $S$ and the intermediate nodes is done during the setup phase, such that $S$ need not form a dedicated secure channel for each intermediate node to communicate the corresponding shared session key. Moreover, in order to not reveal the identity of $S$ to the intermediate nodes, we use a one-way anonymous key-agreement protocol [8], where $S$ picks a random pseudonym for a session and computes the session keys based on a secret associated with this pseudonym and the respective public keys of the intermediate nodes. $S$ embeds this pseudonym in a setup-packet and sends it along the network path. An intermediate node can compute the same session key using its secret key and the pseudonym embedded in the setup-packet. In addition, the source node and the destination node agree upon another (non-anonymous) session key that enables the destination node to authenticate the source node.

- The source node encrypts each node present on the path. The next-node information for an intermediate node $N$ is encrypted in such a way that only $N$ can decrypt its corresponding ciphertext (on the other hand, $N$ cannot decrypt the ciphertexts intended for other nodes).

- Message authentication codes (MACs) are employed in a chained fashion [18], such that a single incorrect MAC makes all the subsequent MACs in the chain invalid. Thus, an intermediate node can validate all MACs (computed by its upstream nodes) by verifying only the MAC sent by its left neighbor.

- For each intermediate node $N$, the source node $S$ embeds a verification field in the packet such that $N$ can check if all the upstream nodes have followed the protocol correctly. However, in order to preserve index privacy, $N$ must not learn its index from the list of verification fields. To address this concern, we use a pseudo-random permutation \( \text{PRP} \) to shuffle the verification fields.

---

A pseudo-random permutation over a domain $\mathcal{D}$ is computationally indistinguishable from a random permutation over $\mathcal{D}$. 

shuffling is done by \( S \) using its secret key. Moreover, in order to let \( N \) correctly identify its verification field, \( S \) encrypts \( N \)'s permuted index using the key shared with \( N \). This can be done in a similar way as described above for encrypting the next-node information. In fact, both of them are encrypted together in our scheme.

- Pseudo-random permutations (PRPs) are typically defined for large domains (e.g., 128-bit AES). On the other hand, the number of nodes present on a network path is comparatively much small (15–20, on an average). Thus, PRPs with small domains are suitable for our path validation scheme. There exist a few small-domain PRP constructions in the relevant literature. Such a PRP (e.g., FastPRP \([34]\) — which is efficient and can be applied to arbitrarily small domains) is suitable for our scheme.

4 PrivNPV: A Privacy-Preserving Network Path Validation Protocol

In this section, we describe PrivNPV, the first privacy-preserving network path validation protocol. We assume that a source node \( S \) sets up a session with a destination node \( D \), where \( S \) decides the path and lets \( D \) know the specified path.

Long-Term Keys for Node-Identifiers: In order to achieve source anonymity in PrivNPV, we use a certificateless anonymous key-agreement protocol \([8]\) between nodes present in a network. In this protocol, a node is associated with an identity (say, \( ID \)), and a trusted party, called the Key Generation Center (KGC), issues a partial secret key \( p_{ID} \) associated with \( ID \) to the node. In a one-way anonymous key-agreement protocol, a node is allowed to authenticate itself, without revealing its identity, to another node. However, the former node is able to identify the latter node that it authenticates itself to. Moreover, in order to enable a pair of nodes to establish a (non-anonymous) shared key, the KGC issues another secret key to each node in the network. We use this non-anonymous key-agreement between the source node \( S \) and the destination node \( D \). The long-term keys corresponding to the node-identifiers (or identities) are set up as follows.

Let \( G = \langle g \rangle \) be a multiplicative group of prime order \( q \), where \( g \) is a generator of the group, and \( H : \{0, 1\}^* \rightarrow \mathbb{Z}_q \) and \( H' : \{0, 1\}^* \rightarrow \mathcal{K} \) be two hash functions, where \( \mathcal{K} \) is the output space of \( H' \). We describe \( G \) as a multiplicative group for ease of representation; however, \( G \) is later realized as an (additive) elliptic curve group \([20]\) over the finite field \( \mathbb{F}_q \). The KGC selects a random element \( x \) from \( \mathbb{Z}_q \) and sets \( y = g^x \in G \); it outputs the master secret key \( MSK = x \) and the public parameters \( MPK = (q, G, g, y, H, H') \).

For a node with identity \( ID \), the KGC verifies \( ID \), the KGC selects \( a_{ID}, u_{ID} \in \mathbb{Z}_q \) and sets \( b_{ID} = g^{a_{ID}}, v_{ID} = g^{u_{ID}} \). The KGC uses the master secret key \( MSK = x \) to compute \( c_{ID} = a_{ID} + H(ID||b_{ID})x \) and sends the secret key \( u_{ID} \) along with the partial secret key \( p_{ID} = (b_{ID}, c_{ID}) \) to the node. Once the node gets \( u_{ID} \) and \( p_{ID} \) from the KGC, it selects a random element \( x_{ID} \in \mathbb{Z}_q \) and sets \( y_{ID} = g^{x_{ID}} \). The node outputs the public key \( PK_{ID} = (b_{ID}, y_{ID}, v_{ID}) \) and the secret key \( SK_{ID} = (c_{ID}, x_{ID}, u_{ID}) \).
We note that the identities and the corresponding public keys of all nodes are maintained in a public list so that any node in the network can search for the credentials of another node in order to establish a shared key anonymously. The secret key-public key pair \((v_{1D}, x_{1D}), (b_{1D}, y_{1D})\) are used for anonymous key-agreement, and the secret key-public key pair \((u_{1D}, v_{1D})\) are used for non-anonymous key-agreement. For a PrivNPV session, the source node performs anonymous key-agreement with each intermediate node using a *pseudonym*. The shared session keys thus obtained are later used to authenticate the setup-packet and payload-packets.

### 4.1 Setup Phase for Path and Keys

Suppose a source node selects a network path \(N_1-N_2-\cdots-N_n\) to communicate with a destination node, where \(N_i\) is the publicly known *identity* associated with the \(i\)-th on-path node. We have \(S = N_1\) as the source node, \(D = N_n\) as the destination node and \(N_2, N_3, \ldots, N_{n-1}\) as the intermediate nodes. Let \(\mathcal{E} = \{\text{KeyGen}, \text{Enc}, \text{Dec}\}\) be a secure symmetric-key encryption scheme and \(\text{MAC} = \{\text{KeyGen}, \text{MACS}, \text{MACV}\}\) be a secure message authentication code. Let \(\Pi\) be a secure pseudo-random permutation (PRP) over the set of node-indices \([1, n]\). The schemes \(\mathcal{E}, \text{MAC}\) and \(\Pi\) share the same key space \(K\) which is equal to the output space of \(H'\). Let \(S\) be the space of session-identifiers. Let \(H_1 : \{0, 1\}^* \rightarrow S\) and \(H_2 : \{0, 1\}^* \rightarrow M\) be collision-resistant hash functions\(^5\) where \(M\) is the output space of \(H_2\). We refer to Section 6.1 for possible realization of these cryptographic primitives.

**Processing at the source node:** Let \(T\) be the current timestamp. We assume that on-path nodes in a session are loosely time synchronized (e.g., using the network time protocol (NTP) \([25]\)). The source node \(S\) selects a random element \(w \in \mathbb{Z}_q\) and sets \(p = g^w\) as its *pseudonym*. \(S\) selects a random element \(r_D \in \{0, 1\}^{128}\) for the destination node \(D\) and computes a session-identifier \(\text{id}_s = H_1(p||T||r_D)\) for the current session. The random element \(r_D\) serves the purpose of generating different session-identifiers for different destination nodes. \(S\) performs the following steps.

- For each \(i \in [2, n]\), \(S\) establishes a shared session key with the \(i\)-th on-path node \(N_i\). It searches \(N_i\) in the public list of identities in order to obtain \(N_i\)'s public key \(PK_i = (b_i, y_i)\). Given \(\text{id}_s\), the source node \(S\) computes the following session keys

  \[
  \begin{align*}
  sk_i &\leftarrow H'(z_{i,1}||z_{i,2}||\text{id}_s) & \text{for each } i \in [2, n], \\
  sk_1 &\leftarrow sk_n, \ sk \leftarrow H'(v_{n,1}^w||\text{id}_s),
  \end{align*}
  \]

  where \(z_{i,1} = (b_i y_i^{H(N_i||b_i)})^w\) and \(z_{i,2} = y_i^w\) for \(i \in [2, n]\). The session key shared between \(S\) and \(N_i\) for the particular session \(\text{id}_s\) is \(sk_i\). We note that \(S\) and \(D\) share two session keys \(sk_n\) (using anonymous agreement) and \(sk\) (using non-anonymous agreement).

- \(S\) encrypts the network path as \(\text{path}_E \leftarrow \text{Enc}_{sk_1}(p||\text{id}_s||T||r_D)\). \(S\) takes a bit-string \(\sigma_1 = p||\text{id}_s||T||r_D||\text{path}_E\) and computes the hash value \(\sigma_2 = H_2(\sigma_1)\). \(S\) computes the PRP \(\Pi\) over the set \([1, n]\) (using the secret key \(sk\)).

\(^5\) For a collision-resistant hash function, it is computationally hard to find two inputs whose hash values are equal.
in order to obtain the permuted indices $\Pi_{sk}(1), \Pi_{sk}(2), \ldots, \Pi_{sk}(n)$. Then, $S$ encrypts individual nodes along the path as

$$
r_i \leftarrow \text{Enc}_{sk_i}(\sigma_2||N_{i+1}||\Pi_{sk}(i)) \quad \text{for each } i \in [1, n-1],$$

$$r_n \leftarrow \text{Enc}_{sk_n}(\sigma_2||N_1||\Pi_{sk}(n)).$$

- $S$ shuffles the sequence $R_1 = \{r_1, r_2, \ldots, r_n\}$ of ciphertexts using $\Pi$ (and the secret key $sk$) in order to form another sequence $R_2 = \{r'_1, r'_2, \ldots, r'_n\}$ such that $r'_{\Pi_{sk}(i)} = r_i$ for each $1 \leq i \leq n$. We note that $r'_{\Pi_{sk}(i)}$ is the ciphertext intended for the $i$-th on-path node.

- The source node $S$ processes the setup-packet $P_s$ as follows. $S$ includes the bit-string $\sigma_1$, the sequence $R_2$, an array $A$ of verification fields and a chained authentication field $CAF$ in $P_s$ (see Figure 2). $S$ computes the initial CAF value as $CAF_1 = \text{MACS}_{sk_1}(\sigma_2)$. Then, it sets $N_0 = N_s$ and includes $CAF = CAF_1$ and $A[\Pi_{sk}(1)] = \text{MACS}_{sk_1}(\sigma_2||N_0)$ in the packet $P_s$. For each index $i \in [2, n-1]$, $S$ computes a CAF value $CAF_i = \text{MACS}_{sk_i}(CAF_{i-1})$ and sets $A[\Pi_{sk}(i)] = \text{MACS}_{sk_i}(\sigma_2||N_{i-1}||CAF_{i-1})$ in the setup-packet $P_s$. The source node $S$ also sets $A[\Pi_{sk}(n)] = \text{MACS}_{sk_i}(\sigma_2||N_{n-1}||CAF_{n-1})$ in $P_s$.

- Finally, $S$ sends the setup-packet $P_s$ to its right neighbor $N_2$ on the path.

**Processing at an intermediate node:** The intermediate node $N_i$ ($2 \leq i \leq n-1$) processes the incoming setup-packet $P_s$ as follows.

- $N_i$ parses the bit-string $\sigma_1$ as $P||\text{id}_i||T||\text{path}_i$ and checks whether $\text{id}_i = H_1(P||T||\text{path}_i)$. It also computes $\sigma_2 = H_2(\sigma_1)$.

- Given $P$ and the secret key $SK_i = (c_i, x_i, u_i)$, the node $N_i$ computes the session key

$$sk_i \leftarrow H'(z_{i,1}||z_{i,2}||\text{id}_i),$$

where $z_{i,1} = P^{c_i}$ and $z_{i,2} = P^{x_i}$. We note that, as both $S$ and $N_i$ compute the same values $z_{i,1} = g^{uc_i}$ and $z_{i,2} = g^{ux_i}$, the session key $sk_i$ computed in Eqn. 3 is same as that in Eqn. 1.

- $N_i$ uses the session key $sk_i$ to decrypt the elements of $R_2 = \{r'_1, r'_2, \ldots, r'_n\}$ one by one and checks whether the plaintext thus obtained begins with $\sigma_2$. Among these ciphertexts, only one $r'_j$ is decrypted correctly (for some $j \in [1, n]$).

- $N_i$ obtains $(\Pi_{sk}(i), N_{i+1})$ after decrypting $r'_j$ and checks if $j \not\in \Pi_{sk}(i)$. We note that the ciphertext $r'_{\Pi_{sk}(i)} \in R_2$ is same as $r_i \in R_1$.

- Let $N'_{i-1}$ be the node from which $N_i$ has received the setup-packet $P_s$. $N_i$ computes $\text{temp}_i = \text{MACS}_{sk_i}(\sigma_2||N'_{i-1}||CAF)$ using the CAF value (which is $CAF = CAF_{i-1}$ currently) from $P_s$. If $\text{temp}_i = A[\Pi_{sk}(i)]$, then $N_i$ is convinced that all previous CAF values have been computed correctly — which
enables path verification by $N_i$. If the path is verified to be correct, $N_i$ computes $CAF_i = MAC_{sk_i}(CAF)$ and sets $CAF = CAF_i$ in the setup-packet $P_s$.

We note that if $N_i$ and $N_{i-1}$ have followed the protocol correctly, then $N_{i-1} = N_i \neq N_{i-1}$. Otherwise, the order of the node-sequence has not been followed properly, and $N_i$ computes MAC on an incorrect input $N_{i-1} \neq N_{i-1}$ (which is detected by the next honest node present on the path).

If any preceding verification fails, the node $N_i$ drops the setup-packet $P_s$. Otherwise, $N_i$ stores $(id_s, sk_i, \Pi_{sk}(i), N_{i-1}, N_{i+1})$ and sends the updated $P_s$ to the next on-path node $N_{i+1}$.

**Processing at the destination node:** The destination node $D$ processes the packet $P_s$ as follows.

- $D$ parses the bit-string $\sigma$ as $\mathcal{P} | id_s | T | \tau$ and checks whether $id_s \neq H_1(\mathcal{N} || T | \tau)$. It computes the hash value $\sigma_2 = H_2(\sigma_1)$.

- Given $\mathcal{P}$ and the secret key $SK_n = (c_n, x_n, u_n)$, $D$ computes the session keys

$$sk_n \leftarrow H'(z_{n,1} || z_{n,2} || id_s), \quad sk_1 \leftarrow sk_n,$$  

(4)

where $z_{n,1} = \mathcal{P}^{c_n}$ and $z_{n,2} = \mathcal{P}^{x_n}$. As both $S$ and $D$ essentially compute the same values $z_{n,1} = g^{w_{c_n}}$ and $z_{n,2} = g^{w_{x_n}}$, the session key $sk_n$ computed in Eqn. 4 is same as that in Eqn. 1.

- $D$ uses the session key $sk_1$ to decrypt $\text{path}_n$ to obtain the network path (and $n$). Given the public key $PK_1 = (b_1, y_1, v_1)$ of the source node $N_1 = S$ and its own secret key $SK_n = (c_n, x_n, u_n)$, the destination node $D$ computes the session key

$$sk \leftarrow H'(v^{u_1}_1 || id_s).$$  

(5)

As $v^{u_1}_1 = y^{u_1}_2 = g^{w_{1u_2}}$, the session key $sk$ computed in Eqn. 5 is same as that in Eqn. 1.

- Let $N_{n-1}$ be the node from which $D$ has received $P_s$. $D$ checks if $N_{n-1} \neq N_{n-1}'$.

- $D$ uses $sk$ in order to compute $\Pi_{sk}(n)$ and $\text{temp} = MAC_{sk}(\sigma_2 || N_{n-1} || CAF)$, where the current CAF value present in $P_s$ is $CAF = CAF_{n-1}$. If $\text{temp} = A[\Pi_{sk}(n)]$, then $D$ is convinced that all previous CAF values have been computed correctly — which enables path verification by $D$.

- If any preceding verification fails, $D$ drops the packet $P_s$. Otherwise, $D$ stores the tuple $(id_s, sk, \Pi_{sk}(n), N_{n-1})$.

### 4.2 Payload-Forwarding Phase

After the path and session keys are set up, $S$ transmits payload-packets along the same path.

**Processing at the source node:** Given $id_s$, $T$ and $\tau$, the source node $S$ proceeds as follows.

- $S$ processes a payload-packet $P_p$ as follows. It takes the bit-string $\sigma = \mathcal{P} | id_s | T | \tau$ and includes a short digest $d_p = H_3(\text{payload} | | \sigma)$ along with $\text{payload}$ in $P_p$.

$S$ includes an array $A$ of verification fields and a chained authentication field CAF in $P_p$ (see Figure 3). $S$ computes the initial CAF value as $CAF_1 =$.
MACS_{sk_i}(d_p). S sets \( N_0 = N_n \), and it includes \( CAF = CAF_1 \) and \( A[\Pi_{sk}(1)] = MACS_{sk_i}(d_p\|N_0) \) in the packet \( P_p \). For each index \( i \in [2, n - 1] \), the source node \( S \) computes a CAF value \( CAF_i = MACS_{sk_i}(CAF_{i-1}) \) and sets \( A[\Pi_{sk}(i)] = MACS_{sk_i}(d_p\|N_{i-1}\|CAF_{i-1}) \) in the payload-packet \( P_p \). \( S \) also sets \( A[\Pi_{sk}(n)] = MACS_{sk}(d_p\|N_{n-1}\|CAF_{n-1}) \) in \( P_p \).

- Finally, \( S \) sends the payload-packet \( P_p \) to its right neighbor \( N_2 \) on the path.

**Processing at an intermediate node:** The intermediate node \( N_i \) (\( 2 \leq i \leq n-1 \)) processes the incoming payload-packet \( P_p \) as follows.

- \( N_i \) parses \( \sigma \) as \( P || \text{id}_s || T || \text{r}_{D} \) and checks whether \( d_p \overset{?}{=} H_2(\text{payload} || \sigma) \).
- \( N_i \) stores the tuple \( (sk_i, \Pi_{sk}(i), N_{i-1}, N_{i+1}) \) corresponding to \( \text{id}_s \) (these values were computed/obtained during the setup phase). Let \( N'_{i-1} \) be the node from which \( N_i \) has received the packet \( P_p \). The intermediate node \( N_i \) checks whether \( N_{i-1} \overset{?}{=} N'_{i-1} \). \( N_i \) takes the CAF value (which is \( CAF = CAF_{i-1} \) currently) from the incoming packet \( P_p \) and computes \( \text{temp}_i = MACS_{sk_i}(d_p\|N_{i-1}\|CAF) \).

If \( \text{temp}_i = A[\Pi_{sk}(i)] \), then \( N_i \) is convinced that all previous CAF values have been computed correctly — which enables path verification by \( N_i \). In that case, \( N_i \) computes \( CAF_i = MACS_{sk_i}(CAF) \) and sets \( CAF = CAF_i \) in the payload-packet \( P_p \).
- If any preceding verification fails, \( N_i \) drops \( P_p \). Otherwise, \( N_i \) sends the updated \( P_p \) to \( N_{i+1} \).

**Processing at the destination node:** The destination node \( D \) processes the packet \( P_p \) as follows.

- \( D \) parses \( \sigma \) as \( P || \text{id}_s || T || \text{r}_{D} \) and checks if \( d_p \overset{?}{=} H_2(\text{payload} || \sigma) \).
- We note that \( D \) stores \( (sk, \Pi_{sk}(n), N_{n-1}) \) corresponding to \( \text{id}_s \) (these values were computed during the setup phase). Let \( N'_{n-1} \) be the node from which \( D \) has received the packet \( P_p \). \( D \) checks whether \( N_{n-1} \overset{?}{=} N'_{n-1} \) and computes \( \text{temp} = MACS_{sk}(d_p\|N_{n-1}\|CAF) \) using the CAF value (which is \( CAF = CAF_{n-1} \) currently) from \( P_p \). If \( \text{temp} = A[\Pi_{sk}(n)] \), then \( D \) is convinced that all CAF values have been computed correctly — which enables path verification by \( D \).
- If any preceding verification fails, \( D \) drops the payload-packet \( P_p \).

### 4.3 Properties of PrivNPV

We discuss the properties of PrivNPV as follows. Based on some of these properties, a comparison among path validation schemes is given in Table 1.

- **Path enforcement:** During the setup phase, the source node enforces the path by embedding, for each intermediate node \( N_i \), the right neighbor \( N_{i+1} \) in the payload-packet.
Table 1: Properties of path validation schemes

<table>
<thead>
<tr>
<th>Schemes</th>
<th>Path validation</th>
<th>Path privacy</th>
<th>Index privacy</th>
<th>Source/destination anonymity</th>
<th>Source authentication</th>
</tr>
</thead>
<tbody>
<tr>
<td>ICING [26]</td>
<td>✓</td>
<td>✗</td>
<td>✗</td>
<td>✗</td>
<td>✓</td>
</tr>
<tr>
<td>OPT [18,41]</td>
<td>✓</td>
<td>✗</td>
<td>✗</td>
<td>✗</td>
<td>✓</td>
</tr>
<tr>
<td>OSV [5,6]</td>
<td>✓</td>
<td>✗</td>
<td>✗</td>
<td>✗</td>
<td>✓</td>
</tr>
<tr>
<td>PrivNPV</td>
<td>✓</td>
<td>✓</td>
<td>✓</td>
<td>✓</td>
<td>✓†</td>
</tr>
</tbody>
</table>

† Source authentication is done by the destination node only.

the ciphertext $r_i$ intended for $N_i$ (this encryption is done using the session key shared with $N_i$).

- **Path verification:** Every $i$-th on-path node ($i \in [2, n]$) can check, using $sk_i$ (or $sk$), $CAF_{i-1}$ and $A[I\Pi sk(i)]$, if a packet has traversed along the previous nodes mentioned in the path. This is ensured by the chain of MACs computed according to the node-sequence. A single malicious (incorrect or out-of-order) MAC computation makes the subsequent MACs invalid. Such a mismatch in the MAC can be easily detected by the next honest intermediate node and $D$. Path verification is enabled in both setup and payload-forwarding phases.

- **Path privacy:** PrivNPV achieves path privacy in that each intermediate node can identify its left and right neighbors only (instead of the whole path). This is ensured by encrypting the neighbor information using that node’s session key. On the other hand, an intermediate node cannot decrypt the ciphertexts intended for other nodes.

- **Index privacy:** Due to the use of a pseudo-random permutation $\Pi$, the index of any intermediate node present on the path is not revealed.

- **Source anonymity:** Due to path privacy and index privacy, source anonymity is preserved in PrivNPV. For each session, $S = N_1$ chooses a random pseudonym $\mathcal{P}$ that is sufficient for an intermediate node to compute the shared session key. However, the identity of $S$ is not revealed to any intermediate node; even $N_2$ cannot identify its left neighbor as the source node. The destination node $D$ can identify $S$ and authenticate if a packet originates from $S$.

- **Destination anonymity:** The anonymity of the destination node $D = N_n$ is preserved in PrivNPV. As PrivNPV satisfies both path privacy and index privacy, even the node $N_{n-1}$ cannot learn if its right neighbor is the destination node or another intermediate node.

- **Source authentication:** The destination node $D$ derives the shared key $sk$ using the public key of the source node. During the setup/payload-forwarding phase, $D$ validates the MAC value computed using $sk$ and stored at $A[I\Pi sk(n)]$. Therefore, source authentication is done implicitly by $D$. In case a malicious node attempts to spoof a source, this MAC authentication fails.

- **Symmetric-key cryptography:** The payload-forwarding phase in PrivNPV involves only (fast) symmetric-key primitives — that results in fast computation at each node. The setup phase requires public-key primitives (for computing shared session keys). However, we note that public-key operations are necessary for two parties generating a shared key without establishing a dedicated channel between them.
5 Security of PrivNPV

5.1 Security Assumptions

A computationally-bounded network attacker is considered to be an adversary $A$ in privacy-preserving path validation. We assume that $A$ is Byzantine (i.e., it can deviate from the protocol in an arbitrary and malicious fashion) and can corrupt some intermediate nodes (these nodes can collude in order to mount certain attacks collectively). The adversarial model and attacks are similar to those described in the existing path validation schemes [26,18,4]. We assume that $A$ has no control over the end-hosts (i.e., $S$ and $D$ are considered to be honest). Otherwise, as both of them have the complete knowledge of the path, $A$ is always able to know the path — which is not possible to prevent by any means. However, this assumption is rational as the end-hosts may not want to reveal the path to intermediate nodes whom they do not trust. Moreover, $A$ may attempt to identify the honest on-path nodes or to learn the index of a node it controls. We require the following assumptions for PrivNPV to be secure.

- The hash functions $H$ and $H'$ used for key agreement are assumed to be random functions [8]. The encryption scheme $E$, the MAC scheme $MAC$ and the PRP $\Pi$ used in PrivNPV are secure. The hash functions $H_1$ and $H_2$ are collision-resistant.
- Each node is identified by its identity/node-identifier (e.g., $N_i$), and the Key Generation Center (KGC) issues a partial secret key to the node based on its identity. The public key of each node is included in a public list available to all nodes in the network. In PrivNPV, we consider $G$ to be an elliptic-curve group [20] over the finite field $\mathbb{F}_q$, where $q$ is a 160-bit prime. Thus, the size of each secret key in $\mathbb{Z}_q$ (and the corresponding public key in $G$) is 160 bits.

5.2 Security Analysis: Possible Attacks and Defenses

We discuss the possible attacks an adversary $A$ can mount on a privacy-preserving path validation scheme and how PrivNPV defends against them.

- **Path-revealing attack**: In a path-revealing attack, a malicious intermediate node tries to identify the honest on-path nodes (other than its neighbors). For example, it can try to identify the source/destination node and mount attacks similar to that described in Section 1.

  **Defense**: In PrivNPV, each intermediate node can have knowledge only of its neighbors. A malicious intermediate node without having the secret session key of an honest node cannot decrypt the ciphertext intended for that honest node. Moreover, the ciphertexts are shuffled using the pseudo-random permutation $\Pi$ to prevent leakage of additional information of other on-path nodes (e.g., node-indices of neighbors). We note that similar privacy holds for the destination node as well. In addition, the random pseudonym $P$ chosen by the source node $S$ does not reveal its identity to any intermediate node.

- **Index-revealing attack**: A malicious intermediate node can attempt to learn its index on the network path to mount certain attacks (see Section 1 for examples).
Defense: The source node in PrivNPV shuffles the ciphertexts using the pseudo-random permutation $\Pi$. As an intermediate node does not know the secret key $sk$ for $\Pi$, it cannot learn its node-index on the network path.

– Counterfeit attack: In a counterfeit attack, $A$ aims to propagate an incorrect packet so that the packet passes verification. This type of attacks includes packet-alteration attacks (modifying a packet) and packet-injection attacks (injecting a packet of $A$’s choice). Packet-injection attacks also include replay attacks where $A$ injects older packets into the path.

Defense: In a packet-alteration attack, a malicious intermediate node tries to alter a packet without being noticed by the next honest on-path node. In PrivNPV, these attacks are prevented by using short digests ($\sigma_2$ in the setup phase and $d_p$ in the payload-forwarding phase). The digest $\sigma_2 = H_2(\sigma_1)$ is used as an input to the encryption operations (see Eqn. [2]), and $d_p = H_2(\text{payload}||\sigma)$ is included in the packet itself (see Figure [3]). These digests are computed using a collision-resistant hash function — which ensures that tampering with the input would produce a different digest. Moreover, these digests are fed as input to MAC computations. Thus, an incorrect value of a digest would produce a different MAC value (despite having the corresponding secret key) — an honest node can easily detect this anomaly (as the MACs are chained) and drop the packet. Similarly, as all MAC, encryption and PRP operations need secret keys, it is hard for a malicious node to tamper with $CAF$, the verification fields of $A$ or the permuted ciphertexts (embedded in a packet) without being detected by an honest node.

In a packet-injection attack, a malicious node $S'$ in the network tries to impersonate another node $S$ as the source node and inject a packet (of its choice) along a network path. In PrivNPV, the destination node $D$ authenticates the source node $S$ using the shared session key derived from the public key of $S$. Therefore, the only possibility of successfully mounting such an attack is to guess/compute the secret key of $S$ — which is hard for the malicious node $S'$. Replay attacks are prevented in PrivNPV by embedding the session-identifier and timestamp in the packet (in an authenticated fashion) which can be validated by every node on the path.

– Denial-of-service (DoS) attack: In a DoS attack, the adversary tries to make the on-path nodes perform memory-intensive and/or computation-intensive work. Replay attack (injecting older packets into the path) is one such example which not only increases traffic in the network but also enhances redundant computation (e.g., verification) for an honest node.

Defense: In the PrivNPV protocol, each intermediate node $N_i$ stores only the tuple $(id_s, sk_i, H_{sk}(i), N_{i-1}, N_{i+1})$ corresponding to a session — this small amount of storage rules out memory exhaustion of an intermediate node. In terms of computational overhead, nodes in PrivNPV need to perform only a small number of (mostly) symmetric-key cryptographic operations (see Table [2]). As these symmetric-key operations can be performed efficiently, the nodes have to spend a little time while processing a packet. On the other hand, as we have discussed earlier, replay attacks are hard to mount in PrivNPV.
- **Coward attack:** The adversary performs a coward attack when the attack is less likely to be detected. For example, it can mount any attack mentioned above when the path validation protocol is not being executed (e.g., when the key setup is not done, or when packets are being sent without authentication in order to achieve fast propagation).

**Defense:** Due to the additional computational burden needed for verification, the path-validation procedure may be invoked only when there are anomalies regarding packet loss (or delay), or when the source node and the destination node set up a new network path to be followed for communication [4]. After these issues are resolved (or the setup is done), every packet transmitted onwards is not checked for validation — which the adversary can utilize to mount some of the attacks mentioned above. In this scenario, it is hard to detect such attacks. Among the existing path-validation schemes, only OPT [18] addresses this issue by executing the path validation probabilistically. Thus, the adversary fails to predict when a validation would be run — which makes it execute the protocol correctly all the time. We can also use this method in PrivNPV in order to prevent such coward attacks. However, in order to ensure validation of all the packets, authentication (and verification) must be enabled for each of them. In that case, PrivNPV is still practical as only a few (efficient) symmetric-key cryptographic operations needed to be performed in the payload-forwarding phase (see Table 2 for the number of cryptographic operations performed by the nodes).

- **Out-of-order traversal:** One or more malicious nodes (controlled by $A$) can send the packet through all (or some) of the specified nodes but not in the order decided by the source. It includes the case where an honest node on the path is bypassed by the malicious nodes.

**Defense:** For an out-of-order traversal that involves at least one honest node $N$, the CAF value of $N$ cannot be computed correctly without its session key — which makes all subsequent CAF values incorrect. This is detected by the next honest on-path node. However, an out-of-order traversal, that involves only some of the nodes controlled by $A$, may not be detected (e.g., $A$, having control over the nodes $N_i, N_{i+1}, N_{i+2}, N_{i+3}$, can always make a packet traverse through $N_i - N_{i+2} - N_{i+1} - N_{i+3}$ or $N_i - N_{i+3}$, and it can still generate correct CAF values using the session keys of these nodes).

Finally, we mention some issues that path validation does not address well in general [26][18]. They remain unresolved in PrivNPV as well.

- In a path-detour attack, a malicious intermediate node (say, $N_i$) sends a packet through an unspecified path $N_i - N_i' - N_i'' - \cdots - N_i' - N_{i+1}$ (where the detour nodes are $N_i', N_i'', \ldots, N_i'$). If $N_i$ and $N_{i+1}$ collude with each other, they can always produce correct CAF values — which makes such an attack hard to detect.

- Path validation does not ensure the delivery of a packet to the destination node $D$. A node can drop a packet maliciously. On the other hand, if a packet fails verification at an honest node, the node drops it to avoid wasting downstream resources.
Table 2: Number of cryptographic operations performed by the source node $S$, an intermediate node $N$ and the destination node $D$ during different phases of PrivNPV

<table>
<thead>
<tr>
<th>Operations</th>
<th>Setup phase</th>
<th>Payload-forwarding phase</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>$S$</td>
<td>$N$</td>
</tr>
<tr>
<td>Exponentiation</td>
<td>$3n - 1$</td>
<td>2</td>
</tr>
<tr>
<td>Hash</td>
<td>$2n + 1$</td>
<td>3</td>
</tr>
<tr>
<td>PRP ($\Pi$)</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>Encryption/decryption</td>
<td>$n + 1$</td>
<td>$n^\dag$</td>
</tr>
<tr>
<td>MAC</td>
<td>$2n - 1$</td>
<td>2</td>
</tr>
</tbody>
</table>

\(^\dag\) In the worst case, an intermediate node tries to decrypt $n - 1$ ciphertexts before it finds the ciphertext intended for it (an intermediate node finds the corresponding ciphertext after $\frac{n}{2}$ decryption operations, on an average).

- $D$ cannot identify the exact node where a packet (if any) has been dropped or corrupted.

6 Practicality of PrivNPV

6.1 Realization of Cryptographic Primitives

The AES-128 block cipher [27] can be used for symmetric-key primitives in PrivNPV as follows. The encryption scheme $E$ can be instantiated using AES-128 in cipher-block-chaining (CBC) mode; the MAC scheme $\text{MAC}$ can be realized as CMAC-AES; the PRP $\Pi$ can be constructed using FastPRP [34] (FastPRP uses AES-128 to generate required pseudo-random bits). For the initial key agreement, $G$ is taken to be an elliptic curve group over $\mathbb{F}_q$, where $q$ is a 160-bit prime. Thus, for the node $N_i$, each component of $PK_i = (b_i, y_i, v_i)$ and $SK_i = (c_i, x_i, u_i)$ is 160-bit long. The output space for the hash function $H$ is $\{0, 1\}^{160}$. The output space for each of the hash functions $H', H_1, H_2$ is $\{0, 1\}^{128}$, that is, $S = \mathcal{K} = \mathcal{M} = \{0, 1\}^{128}$. We can use SHA-256 for computing the hashes and truncate the 256-bit outputs to 128-bit values. We take the identity of a node (e.g., $N_i$) to be an element of $\{0, 1\}^{128}$. Based on these possible instantiations, each of the following elements is 16-byte long: $id_s, \sigma_2, dp, CAF, sk, sk_2, sk_3, \ldots, sk_{n-1}, sk_n, A[1], A[2], \ldots, A[n], N_1, N_2, \ldots, N_n$. As $\Pi$ operates over $[1, n]$, we have $\Pi_{sk}(1), \Pi_{sk}(2), \ldots, \Pi_{sk}(n) \in \{0, 1\}^{\lceil \log_2 n \rceil}$. A timestamp $T$ is typically represented using 4 bytes. Each of the ciphertexts $r_1, r_2, \ldots, r_n$ is 64-byte long (after padding the plaintexts appropriately).

6.2 Storage Overhead per Packet

The storage overhead for the setup-packet $P_s$ per on-path node is roughly attributed to an element of $A$ (the list of verification fields) and an element of $R_2$ (the sequence of shuffled ciphertexts). Thus, the storage overhead for $P_s$ (per on-path node) is around 80 bytes. On the other hand, the storage overhead for a payload-packet $P_p$ (per on-path node) is due to an element of $A$ — which accounts for 16 bytes.
6.3 Computation per Node

Table 2 shows cryptographic operations (to be performed by the source node $S$, an intermediate node $N$ and the destination node $D$) during the setup and payload-forwarding phases of PrivNPV. From Table 2 we make the following observations.

- Most of the computations are done in the setup phase.
- Only a few symmetric-key operations need to be performed in the payload-forwarding phase.
- During the setup phase, $S$ has to perform some of the cryptographic operations for each on-path node (i.e., the number of times each of these operations to be performed by $S$ grows linearly with the path-length $n$).
- The number of times any cryptographic operation to be performed by $D$ is independent of $n$. This holds for an intermediate node also, except that it has to perform $n^2$ decryption operations (on an average) in the setup phase.

*Estimation of time required per node:* We estimate the time required by the source node $S$, an intermediate node $N$ and the destination node $D$ in different phases of a PrivNPV session as follows. The (additive) elliptic curve group $G$ is defined over the finite field $F_q$ for a 160-bit prime $q$. According to the benchmarks given in [15], an exponentiation operation (or, equivalently, a scalar multiplication operation in the additive group) takes around 0.75 milliseconds when evaluated on a 1.83 GHz Intel Core 2 Duo processor. FastPRP [34] requires around $n \log n$ pseudo-random bits that are generated by encrypting non-negative integers using AES-128 with the secret key $sk$. For example, for $n = 20$, $\Pi$ requires around 100 bits which can be obtained by invoking AES-128 once (i.e., AES-128$_{sk}(0)$); for $n = 40$, it requires around 240 bits which can be obtained by invoking AES-128 twice (i.e., AES-128$_{sk}(0)$ and AES-128$_{sk}(1)$). For symmetric-key cryptographic primitives involved in PrivNPV, we consider the widely used cryptographic benchmarks [10] evaluated on a 1.83 GHz Intel Core 2 Duo processor: each hashing takes 0.55 microseconds (using SHA-256), each encryption/decryption takes 0.56 microseconds (using 128-bit key AES-CBC) and each MAC operation takes 0.56 microseconds (using CMAC-AES) — assuming 64-byte inputs for these primitives. Figure 4(a) and Figure 4(b) show the time required for performing cryptographic operations in the setup and payload-forwarding phases, respectively, for varying path-length $n$. 
In practice, the path-length $n$ is small (e.g., 15–20, on an average). Thus, the per-session computational cost for each node is low (e.g., for $n = 20$, the nodes $S$, $N$, $D$ take around 44.31, 1.51, 2.25 milliseconds, respectively, in the setup phase and 22.95, 1.67, 1.11 microseconds, respectively, in the payload-forwarding phase). The computational cost in the setup phase (one-time per session) is predominated by expensive public-key operations. However, we note that public-key operations are necessary for a pair of nodes computing a shared key without establishing a dedicated channel between them. Once the network path and session keys are set up for a session, $S$ typically transmits many payload-packets. As the computational cost in each payload-forwarding phase is small (in the order of microseconds), these payload-packets are processed fast at each on-path node.

### 6.4 Storage per Node

Along with the specified network path, the source node $S$ in a PrivNPV session (identified by $\text{id}_s$) stores the following: $P$, $\text{id}_s$, $T$, $r_D$, the keys $(sk, sk_2, sk_3, \ldots, sk_n)$ and the permuted indices $(\Pi_{sk}(1), \Pi_{sk}(2), \ldots, \Pi_{sk}(n))$ — which accounts for total $576 + n(128 + \lceil \log_2 n \rceil)$ bits. For example, this storage is around 405 bytes for $n = 20$. The destination node $D$ stores a tuple $(\text{id}_s, sk, \Pi_{sk}(n), N_{n-1})$. For example, $D$ stores around 49 bytes for $n = 20$. Each intermediate node $N_i$ ($2 \leq i \leq n - 1$) stores a tuple $(\text{id}_s, sk_i, \Pi_{sk}(i), N_{i-1}, N_{i+1})$. Thus, for a path of length 20, each intermediate node stores around 65 bytes. Figure 4(c) shows the storage required at different on-path nodes for varying $n$.

### 6.5 Comparison among Path Validation Schemes

Unlike the existing path validation schemes, PrivNPV offers privacy of the path being validated. However, such privacy comes at a cost. We compare PrivNPV with ICING [26] and OPT [18] based on certain parameters. For some of these parameters, PrivNPV has an extra overhead compared to ICING and OPT. On the other hand, PrivNPV enjoys similar efficiency for the rest of the parameters.

We compare these schemes as follows. Storage overheads per payload-packet (per on-path node) are 42, 16 and 16 bytes for ICING, OPT and PrivNPV, respectively. In order to process packets, each node needs some (long-term/per-session) storage. Table 3 shows the comparison in terms of storage required for different nodes (the figures for ICING/OPT are taken from [18]). In PrivNPV, each node $N_i$ has to store its long-term secret key $SK_i = (c_i, x_i, u_i)$. Per-session storage for the source node $S$ in PrivNPV is higher as it stores all the permuted node-indices in order to populate the verification fields later. The destination node $D$ has to store only a tuple of four elements for a PrivNPV session. An intermediate node $N$ in PrivNPV needs a little extra amount of storage (compared to ICING/OPT) for its session key, permuted index and neighbor information.

The computational overhead in PrivNPV (compared to ICING and OPT) is due to encryption/decryption operations and PRP computations during the setup phase (see Table 2). This overhead is attributed to path/index privacy offered by PrivNPV. For a source node $S$ transmitting a large number of payload-packets in a session, the amortized cost for these operations is reduced significantly (e.g., for
Table 3: Storage and communication overhead required in path validation schemes

<table>
<thead>
<tr>
<th>Storage (in terms of number of items stored)</th>
<th>S</th>
<th>N</th>
<th>D</th>
</tr>
</thead>
<tbody>
<tr>
<td>ICING (per session)</td>
<td>$n + 1$</td>
<td>2</td>
<td>$2n + 1$</td>
</tr>
<tr>
<td>OPT (per session)</td>
<td>$n + 2$</td>
<td>0</td>
<td>$n + 2$</td>
</tr>
<tr>
<td>PrivNPV (per session)</td>
<td>$2n + 4$</td>
<td>5</td>
<td>4</td>
</tr>
<tr>
<td>ICING (long term)</td>
<td>0</td>
<td>$\leq 400,000$</td>
<td>0</td>
</tr>
<tr>
<td>OPT (long term)</td>
<td>1</td>
<td>1</td>
<td>2</td>
</tr>
<tr>
<td>PrivNPV (long term)</td>
<td>3</td>
<td>3</td>
<td>3</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Number of packets communicated during key setup</th>
<th>ICING</th>
<th>$4n + 4$</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>OPT</td>
<td>2</td>
</tr>
<tr>
<td></td>
<td>PrivNPV</td>
<td>1</td>
</tr>
</tbody>
</table>

$O(n)$ packets transmitted in a session, the cost per packet is constant). Therefore, this overhead is practical and justified. In PrivNPV, $S$ lets each node $N_i$ know its permuted index and right neighbor by embedding the ciphertext $r_i$ in $P_s$ — this requires sending one packet to $D$ along the path (see Table 3). In OPT, each node embeds its (encrypted) session key in the setup-packet sent by $S$ along the path $S \sim D$. Then, $D$ sends another packet containing all these keys to $S$.

### 6.6 Hiding Path-Length

An intermediate node in PrivNPV can infer the path-length $n$ from the size of $A$ (or $R_2$). One possible way to hide the actual path-length is to pad the path by adding dummy fields (for dummy intermediate nodes) in $A$ and $R_2$. As an intermediate node on the actual path derives its next-node from its respective ciphertext, these dummy nodes are never traversed. Similarly, $S$ puts random elements into the dummy fields of $A$ and $R_2$ (which are never checked/decrypted by any node). This hides the path-length to some extent (e.g., its upper bound is still revealed). If all paths are padded to be of length $n = n_{\text{max}}$ (say) in order to minimize leakage further, then $n_{\text{max}}$ should be large enough to accommodate the paths consisting of a large number (say, 40) of intermediate nodes. However, for such a large $n_{\text{max}}$, this length-hiding routing becomes inefficient (compared to that without padding) in case the path consists of a few (say, less than 5) intermediate nodes.

### 7 Conclusion

Network path validation enables a source node to enforce packets to traverse along a specified network path, such that every on-path node can check if the packets have followed that path so far. In this work, we have addressed certain privacy concerns that may arise in network path validation. We have introduced two privacy notions: path privacy and index privacy. These notions are crucial to preserve privacy of on-path nodes in a path validation scheme and to defend against certain attacks mounted by a network attacker. Path privacy and index privacy also provide source anonymity and destination anonymity in the presence of malicious intermediate nodes controlled by the attacker. We have constructed PrivNPV,
the first privacy-preserving network path validation protocol, that exploits mostly lightweight cryptographic operations in order to achieve both path privacy and index privacy. PrivNPV also enables the destination node to verify if the packets are indeed generated by the source node. We have analyzed the security of PrivNPV where we have considered, in addition to attacks related to path validation schemes, other possible attacks specific to privacy-preserving path validation. Finally, we have discussed the practicality of PrivNPV and compared PrivNPV with existing path validation schemes based on storage, communication and computational overhead required.

References


