Generalized Desynchronization Attack on UMAP: Application to RCIA, KMAP, SLAP and SASI+ protocols

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Abstract. Tian et al. proposed a permutation based authentication protocol [19] entitled RAPP. However, it came out very soon that it suffers from several security treats such as desynchronization attack. Following RAPP, several protocols have been proposed in literature to defeat such attacks. Among them, some protocols suggested to keep a record of old parameters by both the reader and the tag. In this paper, we present a generalized version of all such protocols, named GUMAP, and present an efficient desynchronization attack against it. The complexity of our attack is run of 5 consecutive sessions of protocol and its success probability is almost 1. Our attack is applicable as it is to recently proposed protocols entitled RCIA [10], KMAP [12], SASI+ [9] and SLAP [11]. To the best of our knowledge, it is the first report on the vulnerability of these protocols.

keywords: RFID, Authentication, RAPP, RCIA, KMAP, SLAP, SASI+, GUMAP, Desynchronization Attack.

1 Introduction

To identify or trace an object, a common approach could be to attach a tag to the object and use Radio Frequency IDentification (RFID) technology, as a wireless identification method that uses radio frequency to communicate with the tag and identify/trace the tag holder (object). However, this approach may compromise the tag holder’s privacy due the fact that malicious readers also can communicate with the tag. Assuming that it is possible to find a relation between consecutive responses of the tag, it would be possible to use such responses to trace the tag holder. Hence, the used communication protocol between the tag and the reader is considered from security point of view and the protocol is urged to satisfy some requirements, where security against traceability attacks are among such requirements. To address this requirement, protocol’s parties randomize sessions by introducing nonces and may also update common parameters between the tag and the reader. However, in this case, if an adversary forces the tag and the reader to update a common parameter to different values, they will not authenticate each other in later sessions and we say they have been desynchronized. If a tag desynchronize form the reader, the tag holder will not be able to receive the service which is provided by the reader which contradicts availability. Hence, for any proper authentication protocol, it should not be possible for the adversary to desynchronize the tag and the reader; otherwise the protocol is suffers from desynchronization attack.
On the other hand, most of the tags that are attached to objects are passive. A passive tag is a highly constrained microchip with antenna that contains unique information related to the object that the tag has been attached to [8]. In the last decade, targeting passive tags, several ultralightweight RFID protocols have been proposed, e.g. [6,13,15,18], but all these protocols suffer from various vulnerabilities such as desynchronization, traceability, replay and secret disclosure attacks (e.g. [4,7] and [16]).

Later, Tian et al. proposed a permutation based ultralightweight mutual authentication protocol called RAPP [19]. Although it has been demonstrated very soon that RAPP is not a secure protocol [1,5,20], but several successor protocols attempted to improve it, e.g. R^2AP [21], RCIA [10], KMAP [12] and SLAP [11]. Among them RCIA, KMAP and SLAP are the newest protocols in this trails. Similar to RAPP, in these protocols also tags only use three simple operations: bitwise XOR, left rotation and a very lightweight nonlinear function to provide desired confusion. The general framework of RCIA, KMAP and SLAP mostly follows the framework proposed by Tian et al. in RAPP [19] and its successor R^2AP [21]. However, to overcome the desynchronization attack that have been proposed against RAPP [1] and R^2AP [11], both the tag and the reader keep a history of old date. For example in SLAP protocol, the reader and the tag share secret parameters $K_{1}^{old}, K_{2}^{old}, IDS^{old}$ and $K_{1}^{new}, K_{2}^{new}, IDS^{new}$ that are updated after each successful run of the protocol. In addition, each tag has a static identifier denoted by $ID$. In this paper, we introduce and analyze the security of a generalized version of RAPP-based ultralightweight mutual authentication protocol(GUMAP).

In the rest of the paper, in Section 2, we introduce required notations and background. In Section 3 we introduce the generalized version of RAPP-based ultralightweight mutual authentication protocols, i.e. GUMAP. The generalized desynchronization attack against GUMAP is presented in Section 4. Finally, we conclude the paper in Section 5.

2 Preliminaries

2.1 Notation

Given bit strings $x$ and $y$, we denote their bitwise XOR by $x \oplus y$, bitwise AND by $x \land y$. In this paper, $\text{Rot}(x,y)$ assigned to bitwise right/ left rotation of $x$ as a factor of $y$. For example, in SLAP [11], $\text{Rot}(x,y)$ denotes a circular left rotation of string $x$ by $wt(y)$ bit(s), where $wt(y)$ is the Hamming weight of string $y$ (amount of bit(s) in $y$ that are equal to 1).

2.2 SLAP

Description of SLAP [11] is depicted in Fig.1. In this protocol, $\text{Con}(x,y)$ is a very lightweight function introduced by the designer of SLAP and $\text{Rot}(x,y)$ denotes left rotation of $x$ according to the Hamming weight of $y$. In the SLAP, if the Hamming weight of $B$ is odd then $R$ sends $A$ and $B_L$ to $T$, where $B_L$ is the left halve of $B$; otherwise $R$ sends $A$ and $A_R$ to $T$. Similarly, $T$ sends either $C_L$ or $C_R$ depends on the Hamming weight of $C$. In the updating phase of parameters the halve of $B$ and $C$ that have not been transferred over the channel are used. For more details of SLAP, we refer to [11].
2.3 KMAP

Description of KMAP [12] is depicted in Fig. 2. In this protocol, $K_c(x)$ is an ultralightweight function introduced by the designer of KMAP, named pseudo Kasami code, and $\text{Rot}(x, y)$ denotes left rotation of $x$ according to $y$. In this protocol, reader generates two random numbers, i.e. $n_1$ and $n_2$, and they influence the calculation of $K_c(x)$. Moreover, tag keeps a counter $i$ which has no impact on our attack. For more details of KMAP, we refer to [12].

2.4 RCIA

Description of RCIA [10] is depicted in Fig. 3. The structure of this protocol is almost similar to KMAP [12]. In this protocol, $R_b(x)$ is an ultralightweight function introduced by the
designer of RCIA, named recursive hash function, and \( \text{Rot}(x, y) \) denotes left rotation of \( x \) based on \( y \). Similar to KMAP, in this protocol, reader generates two random numbers, i.e. \( n_1 \) and \( n_2 \), and they influence the calculation of \( R_h(x) \). In addition, tag keeps a counter \( i \) which has no impact on our attack. For more details of RCIA we refer to [10]. It worth to note the RCIA protocol uses bitwise AND operation such that its secret keys converge to fully zero after a few sessions of protocol. However, details of such weaknesses in this protocol and other protocols are out of this paper’s scope.

<table>
<thead>
<tr>
<th>Reader ( R )</th>
<th>Tag ( T )</th>
</tr>
</thead>
<tbody>
<tr>
<td>( (IDS^{old}, K_1^{old}, K_2^{old}, IDS^{new}, K_1^{new}, K_2^{new}, ID) )</td>
<td>( (IDS^{old}, K_1^{old}, K_2^{old}, IDS^{new}, K_1^{new}, K_2^{new}, ID) )</td>
</tr>
<tr>
<td>Generates ( n_1 ) and ( n_2 )</td>
<td>Extracts ( n_1 ) and ( n_2 ) from ( A ) and ( B ) respectively.</td>
</tr>
<tr>
<td>( A = \text{Rot}(IDS, K_1) \oplus n_1 )</td>
<td>( \text{Verifies } C )</td>
</tr>
<tr>
<td>( B = (\text{Rot}(IDS \land n_1, K_2) \oplus K_1) \oplus n_2 )</td>
<td>( D = \text{Rot}(R_h(IDS), K_1^* ) \land \text{Rot}(R_h(K_2^*), R_h(n_2)) \oplus IDS )</td>
</tr>
<tr>
<td>( K_1^* = \text{Rot}(R_h(K_2), R_h(n_1)) \land K_1 )</td>
<td>( D \rightarrow \text{Updates } IDS, K_1, K_2 )</td>
</tr>
<tr>
<td>( K_2^* = \text{Rot}(R_h(K_2^*), R_h(n_2)) \land K_2 )</td>
<td>( \text{Verifies } C )</td>
</tr>
<tr>
<td>( C = \text{Rot}(R_h(K_2), R_h(n_2)) \land \text{Rot}(R_h(n_1), R_h(n_2)) )</td>
<td>( \text{Verifies } C )</td>
</tr>
<tr>
<td>( IDS^{old} = IDS )</td>
<td>( \text{Verifies } C )</td>
</tr>
<tr>
<td>( K_1^{old} = K_1 )</td>
<td>( \text{Verifies } C )</td>
</tr>
<tr>
<td>( K_2^{old} = K_2 )</td>
<td>( \text{Verifies } C )</td>
</tr>
<tr>
<td>( IDS^{new} = \text{Rot}(R_h(IDS) \oplus n_2, n_1) )</td>
<td>( \text{Verifies } C )</td>
</tr>
<tr>
<td>( K_1^{new} = K_1 )</td>
<td>( \text{Verifies } C )</td>
</tr>
<tr>
<td>( K_2^{new} = K_2 )</td>
<td>( \text{Verifies } C )</td>
</tr>
</tbody>
</table>

Fig. 3. Mutual authentication phase of RCIA [10]

2.5 SASI\(^{+}\)

Description of SASI\(^{+}\) [9] is depicted in Fig.4. The structure of this protocol is almost similar to RCIA [10]. In this protocol, \( R_h(x) \) is an ultralightweight function introduced by the designers, also named recursive hash function, and \( \text{Rot}(x, y) \) denotes left rotation of \( x \) based on \( y \). In this protocol also, reader generates two random numbers, i.e. \( n_1 \) and \( n_2 \), and they influence the calculation of \( R_h(x) \). For more details of SASI\(^{+}\), we refer to [9].

3 Description of GUMAP

In this section, we describe the generalized version of an ultralightweight mutual authentication protocols (GUMAP) where only the reader introduces nonces to protocol and both the tag and the reader keep a record of old data. In our description, we denote all dynamic parameters which are transferred in plain-text as \( IDS \), all secret parameters which are updated through the protocol as \( K \), all static secret parameters by \( ID \) and all nonces generated by the reader as \( n \). It should be noted we have no restriction on the length of any of these parameters. Hence, for example in the case of SLAP [11], where tag has two keys \( K^1 \) and \( K^2 \) in our generalized description we model it as \( K = K^1 || K^2 \). For a dynamic value \( Z \), its value in stage \( i \) is denoted as \( Z^i \), e.g. \( K^i \) and \( IDS^i \). Assume that in the beginning of \( j^{th} \) session of
the protocol the tag’s and the reader’s records of dynamic parameters $IDS$ and $K$ are both $(IDS^{j-1}, K^{j-1})$ and $(IDS^j, K^j)$, respectively for old and new records. The description of GUMAP, as depicted in Fig. 5, is as follows:

1. The reader $R$, sends Hello to the target tag $T$.
2. $T$ replies with its $IDS^j$; if it has not been recognized by the reader, $R$ resends Hello to the target tag $T$ and $T$ responds $R$ with $IDS^{j-1}$.
3. $R$ uses the received $IDS$ as an index to find the data related to the tag in its database. If $IDS$ matches the old data of the tag, $R$ uses $IDS^{j-1}$ and $K^{j-1}$ to compute the transferred messages; otherwise it uses $IDS^j$ and $K^j$. If $IDS$ does not match any record of the reader’s database, the protocol’s session is terminated. Assuming $IDS$ matches a record in the database, where we denote it as $IDS$ and $K$, the reader generates a nonce $n^j$ and computes its challenge $\mathcal{X}^j = f_1(K, n^j, IDS, \ldots)$ to be sent to the tag $T$.
4. $T$ extracts the nonce $n^j$ from the received challenge and verifies $\mathcal{X}^j$ using the extracted $n^j$ and its local records of shared parameters with $R$. If $R$ has been authenticated, $T$ responds to $R$ by computing its challenge $\mathcal{Y}^j = f_2(K, n^j, IDS, \ldots)$ to be sent to $R$. In addition, the tag updates its parameters as follows:
   - assigns the current values of $K$ and $IDS$ to $K^j$ and $IDS^j$ respectively and updates the tag’s shared parameters as follows:
     \[
     IDS^{j+1} = g_1(K, n^j, IDS, \ldots)
     \]
     \[
     K^{j+1} = g_2(K, n^j, IDS, \ldots)
     \]
5. $R$ evaluates the sent challenge $\mathcal{Y}^j$ by $T$ to authenticate $T$. Assuming the tag has been authenticated, $R$ will updates its records for $IDS$, $K$ in a way similar to the approach used by $T$ respectively to $(IDS^j; K^j)$ and $(IDS^{j+1}; K^{j+1})$.

In this protocol, to provide forward security, we assume that the updated value of $(IDS^{j+1}, K^{j+1})$ is uniformly randomized by introduced value of nonce $n^j$. 

![Fig. 4. Mutual authentication phase of SASI+](image)
### 4 Desynchronization attack on GUMAP

To overcome the desynchronization attack on RAPP [1, 5] and its successors such as R2AP [21] that only the tag keeps a record of old and new shared parameters, some protocols such as RCIA [10], KMAP [12], SASI+ [9] and SLAP [11] suggested both reader and tag to keep old parameters also. Such protocols fit our generalized GUMAP. In this section, we present a desynchronization attack against GUMAP which can be also applied to such protocols almost as it is, i.e. RCIA, KMAP, SASI+ and SLAP. Given a target tag $T$ with $(IDS_{i-1}, K_i^{-1})$ and $(IDS_i, K_i^i)$, respectively as the old and the new records of its shared parameters with the reader $R$, our generalized desynchronization attack works as follows:

1. In session $i$:
   (a) $R$ receives $IDS^i$ from $T$, generates $n^i$ and sends $X^i = f_1(K, n^i, IDS, \ldots)$ to $T$.
   (b) $T$ authenticates $R$, sends $Y^i = f_2(K, n^i, IDS, \ldots)$ to $R$ and updates its record of shared values to $(IDS^i, K^i)$ and $(IDS^i+1, K^i+1) = g_1(K^i, n^i, IDS^i, \ldots)$.
   (c) $R$ authenticates $T$ and updates its record of shared values to $(IDS^i, K^i)$ and $(IDS^i+1, K^i+1)$.
   (d) Adversary $A$ eavesdrops $IDS^i$ and $X^i$ and stores them.

2. In session $i + 1$:
   (a) $R$ receives $IDS^{i+1}$ from $T$, generates $n^{i+1}$ and sends $X^{i+1} = f_1(K^{i+1}, n^{i+1}, IDS^{i+1}, \ldots)$ to $T$.
   (b) Adversary $A$ eavesdrops $IDS^{i+1}$ and $X^{i+1}$ and stores them and prevents $T$ from receiving $X^{i+1}$.
   (c) In this point, the tag and the reader recodes of shared parameters are $(IDS^i, K^i)$ and $(IDS^{i+1}, K^{i+1})$ yet.

3. In session $i + 2$:
   (a) $R$ sends $Hello$ to $T$ and tag sends $IDS^{i+1}$.
   (b) Adversary blocks the value sent by $T$ and sends a random value as $IDS'$ to $R$.
   (c) $R$ will not find a record for $IDS'$. Hence it sends another $Hello$ to $T$ and this time tag sends $IDS'$ to $R$. 

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**Fig. 5. Generalized ultralightweight mutual authentication protocol (GUMAP)**
(d) $R$ receives $IDS^i$ form $T$, generates $n^{i+2}$ and sends $\lambda^i = f_1(K^i, n^{i+2}, IDS^i, \ldots)$ to $T$.
(e) $T$ authenticates $R$, sends $\mu^{i+2} = f_2(K^i, n^{i+2}, IDS^i, \ldots)$ to $R$ and updates its record of shared values to $(IDS^i, K^i)$ and $(IDS^{i+2} = g_1(K^i, n^{i+2}, IDS^i, \ldots), K^{i+2} = g_2(K^i, n^{i+2}, IDS^i, \ldots))$.
(f) $R$ authenticates $T$ and updates its records of shared values to $(IDS^i, K^i)$ and $(IDS^{i+2}, K^{i+2})$.

4. In session $i + 3$:
(a) Adversary impersonates $R$ and sends $Hello$ to $T$ and tag sends $IDS^{i+1}$.
(b) Adversary sends another $Hello$ to $T$ and this time tag responds with $IDS^i$ to $R$.
(c) Adversary receives $IDS^i$ form $T$, and responds with the eavesdropped $\lambda^i = f_1(K^i, n^i, IDS^i, \ldots)$ from Step [1d]
(d) $T$ authenticates $R$, sends $\mu^i = f_2(K^i, n^i, IDS^i, \ldots)$ to $R$ and updates its records of shared values to $(IDS^i, K^i)$ and $(IDS^{i+1} = g_1(K^i, n^i, IDS^i, \ldots), K^{i+1} = g_2(K^i, n^i, IDS^i, \ldots))$.

5. In session $i + 4$:
(a) Adversary once again impersonates $R$ and sends $Hello$ to $T$ and tag sends $IDS^{i+1}$.
(b) Adversary receives $IDS^{i+1}$ form $T$, and responds with the eavesdropped $\lambda^{i+1} = f_1(K^{i+1}, n^{i+1}, IDS^{i+1}, \ldots)$ from Step [2b]
(c) $T$ authenticates $R$, responds with $\mu^{i+1} = f_2(K^{i+1}, n^{i+1}, IDS^{i+1}, \ldots)$ and updates its records of shared values to $(IDS^{i+1}, K^{i+1})$ and $(IDS^{i+4} = g_1(K^{i+1}, n^{i+1}, IDS^{i+1}, \ldots), K^{i+4} = g_2(K^{i+1}, n^{i+1}, IDS^{i+1}, \ldots))$.

At the end of this attack, the tag’s records of $IDS^{old}$ and $K^{old}$ are respectively $IDS^{i+1} = g_1(K^i, n^i, IDS^i, \ldots)$ and $K^{i+1} = g_2(K^i, n^i, IDS^i, \ldots)$ and its records for $IDS^{new}$ and $K^{new}$ are respectively $IDS^{i+4} = g_1(K^{i+1}, n^{i+1}, IDS^{i+1}, \ldots)$ and $K^{i+4} = g_2(K^{i+1}, n^{i+1}, IDS^{i+1}, \ldots)$.

On the other hand, the reader’s records of $IDS^{old}$ and $K^{old}$ are respectively $IDS^i$ and $K^i$ and its records for $IDS^{new}$ and $K^{new}$ are respectively $IDS^{i+2} = g_1(K^i, n^{i+2}, IDS^i, \ldots)$ and $K^{i+2} = g_2(K^i, n^{i+2}, IDS^i, \ldots)$. It is clear that none of the tag’s records matches any of the reader’s records with a high probability, assuming that updated values are randomized by the used nonce. Hence, the reader and the tag will be desynchronized after the above attack with the probability of almost ‘1’.

5 Conclusions

In this paper, we have described a desynchronization attack against a generalized protocol that model a class of ultralightweight mutual authentication protocols for them both the tag and the reader keep a history of old and new parameters and only reader produces nonce to randomize sessions. This analysis shows that, despite of the details of calculation of messages, any such protocol will be vulnerable against desynchronization attack. Although previous analysis on ultralightweight protocols based on the details of the calculation of messages, e.g. [2,3,5,17,20], show that it may not be possible to design a secure protocol using only few application of lightweight operations, this analysis more show that both protocol party should contribute to session randomizations.

References


